

H. S. WHITE: *Plane cubics and irrational covariant cubics.*

- P. 171, l. 5. Erase the word *new*. The eight cubics referred to, fully described on pp. 178–180, are given by G. H. HALPHEN (*Recherches sur les courbes planes du troisième degré*; *Mathematische Annalen*, vol. 15, p. 362), who defines them as the (degenerate) locus of points where a cubic can have contact of eighth order upon cubics of the syzygetic sheaf.
- P. 174, l. 17. Change 4d to 9d.
- P. 176, l. 23. To the italicized theorem add: *These four sheaves of equianharmonic cubics: 9a, 9b, 9c, 9d, possess therefore the combinant property in the syzygetic sheaf.*

H. MASCHKE: *Differential parameters and invariants . . .*

- P. 200, l. 3 up. For $\alpha(f, \alpha(f_1 u))$ read $\alpha(f, \alpha(f, u))$.
- P. 202, l. 10 up. “ $f_{11}f_{22} - f_{12}^2$ “ $f_{12}^2 - f_{11}f_{22}$.
- P. 204, l. 2 up. “ $f_{ii}f_{km} - f_{im}f_{ki}$ “ $f_{im}f_{ki} - f_{ii}f_{km}$.
- “ “ “ $-\frac{\partial^2 a_{im}}{\partial x_i \partial x_i}$ “ $-\frac{\partial^2 a_{im}}{\partial x_k \partial x_i}$.

G. W. HILL: *On the extension of Delaunay's method . . .*

- P. 208, ll. 12, 13. For Ω_i read Ω_1 .
- “ l. 20. “ $i = \infty$ “ $i = 8$.
- P. 210, l. 21. “ $(1 - \kappa_7)a_8$ “ $(1 - \kappa_7)a_7$.
- P. 212, l. 6. “ k “ $k - 1$.
- P. 222, l. 1. “ corrections “ correction.
- “ l. 2. “ are “ is.
- P. 225, l. 2 up. “ members “ numbers.
- P. 229, l. 6. In the equation interchange the indices i and j .
- P. 230, l. 1 up. For $\frac{7912}{2}$ read $\frac{7912}{3}$.
- P. 231, l. 5. “ $+ 21 +$ “ $- 22 -$.
- “ l. 1 up. “ $\frac{17300}{5}$ “ $\frac{17300}{3}$.
- P. 233, l. 7. Insert j at top of the first column.
- “ l. 25. For 1.045 5 read 1.044 5.
- P. 234, l. 3. “ 0.00163177054 “ 0.00163177954.
- “ “ “ 0.593931 “ 0.0593931.